

# Tipe-tipe Instrumen Dan Karakteristik Kinerja

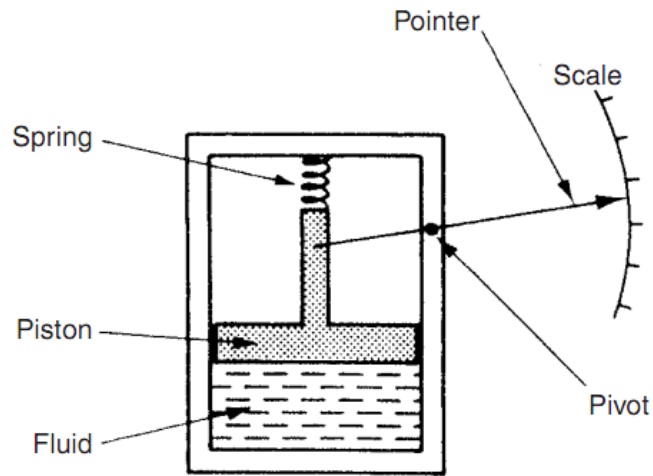
## Out Line

- Jenis-jenis instrumen
- Karakteristik Statis
- Karakteristik Dinamis
- Pentingnya Kalibrasi
- Pengenalan alat-alat uji elektronik (praktikum)

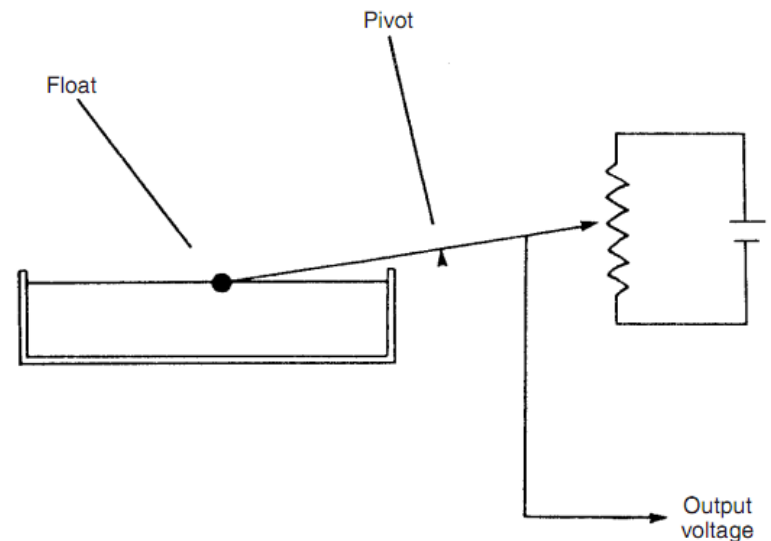
# Type-type instrumen

- Instrumen aktif dan pasif.

Passive pressure gauge.

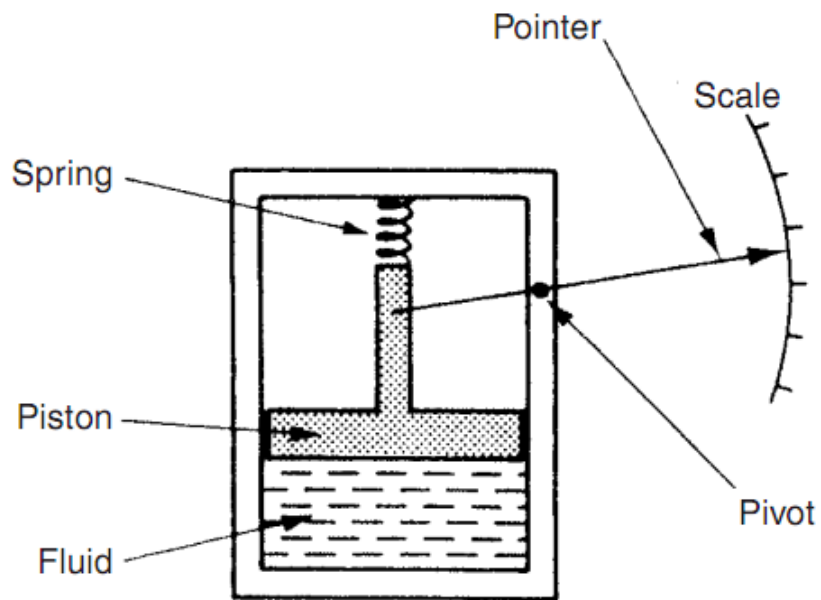


Level indicator

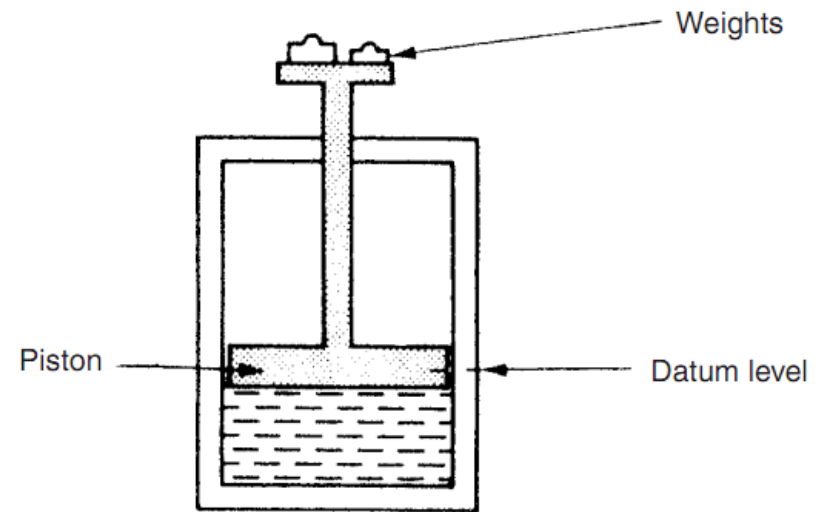


- Instrumen tipe null dan defleksi.  
Definisi instrumen tipe defleksi.  
Definisi instrumen tipe null.  
Akurasi.

pressure gauge tipe defleksi

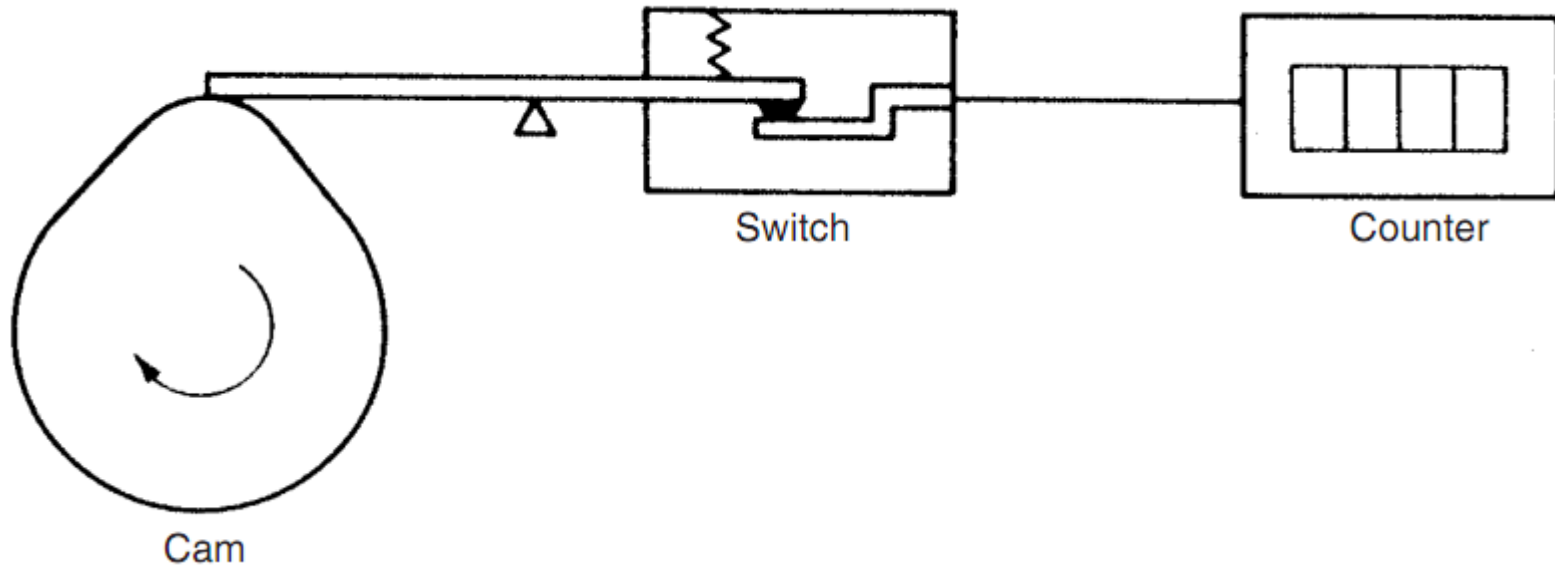


Dead weight gauge tipe null



- Instrumen Analog dan Digital.  
Definisi analog dan digital.

Rev counter digital instrument



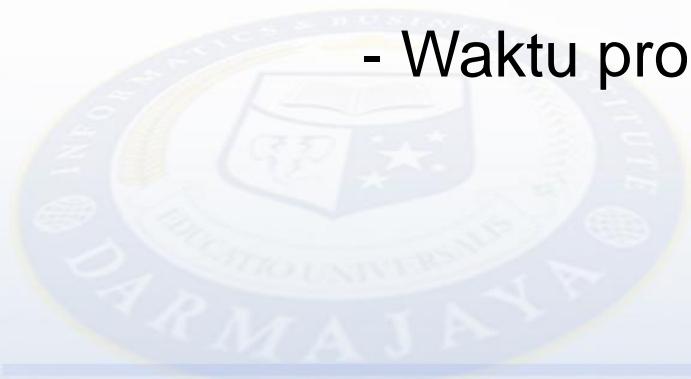
Mikrokontroler dan otomasi sistem kendali.

Komputasi digital.

Interface instrumen analog ke microcomputer.

Kekurangan proses konversi:

- Biaya.
- Waktu proses konversi.



Output instrumen :

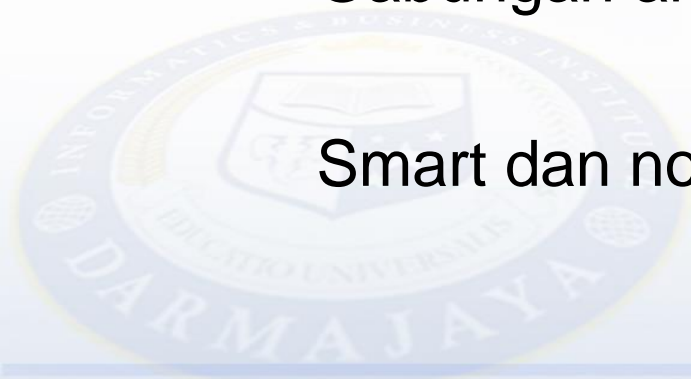
- Audio.
- Visual.

Indikator :

- Analog.
- Digital.

Gabungan analog dan digital.

Smart dan non smart instrumen.

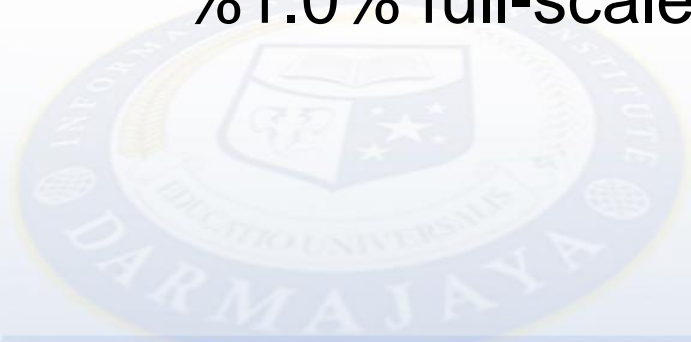


# Karakteristik Statis

Hasil pengukuran saat keadaan tunak (steady-state)

- Akurasi dan tidak akurasi.

Seberapa dekat pembacaan output dari instrumen dengan nilai yang benar. inaccuracy of %1.0% full-scale. (%1% of full-scale reading)



## Akurasi (ketelitian)

- Ketepatan alat ukur dalam memberikan hasil pengukuran

Ada beberapa cara menyatakan akurasi

1. Dalam variabel pengukuran  
contoh ; Termometer skala  $0^{\circ}\text{F} - 100^{\circ}\text{F}$  dengan akurasi  $1^{\circ}\text{F}$   
Artinya jika pengukuran menunjukkan  $60^{\circ}\text{F}$ , maka nilai sebenarnya adalah  $59^{\circ}\text{F} - 61^{\circ}\text{F}$
2. Dalam presentase span  
contoh : pressure transmitter range  $100 - 400$  psi. akurasi  $0,5\%$  span  
akurasi =  $0,5\% \times (400 - 100) = 1,5$  psi  
Jika pengukuran menunjukkan  $200$  psi,  
maka sebenarnya adalah  $198,5 - 201,5$  psi
3. Dalam presentase skala maksimum  
contoh voltmeter skala maksimum  $200$  V dg akurasi  $1\%$  FS (full scale)  
akuras =  $1\% \times 200 = 2$  V

4. Dalam presentase pembacaan  
contoh Level transmitter mempunyai akurasi  $5\%$  output  
jika sinyal menunjukkan  $40\%$ , maka akurasi adalah  $40 \times 5\% = 2\%$ ,  
sehingga nilai sebenarnya  $38 - 42\%$   
jika sinyal menunjukkan  $60\%$ , maka akurasi adalah  $60 \times 5\% = 3\%$ ,  
sehingga nilai sebenarnya  $57 - 63\%$

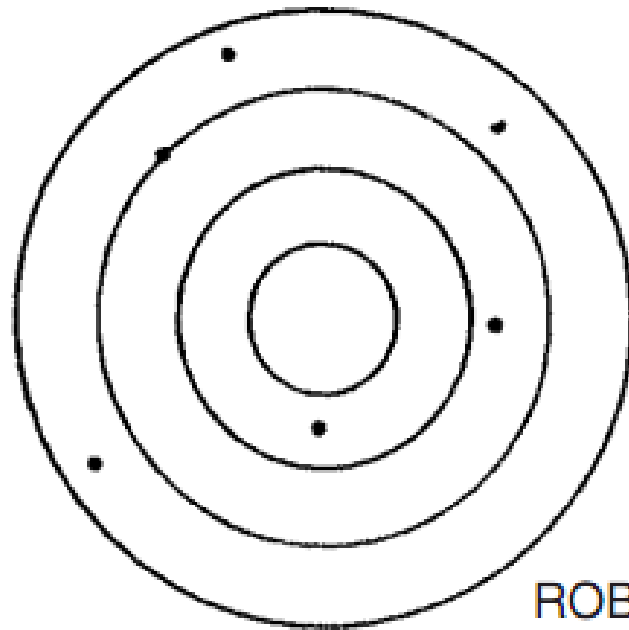
# Presisi / repeatability

- Kemampuan sistem pengukuran untuk menampilkan ulang output yang sama pada pengukuran berulang singkat

Contoh

voltmeter mempunyai repeatability 0,2 %.

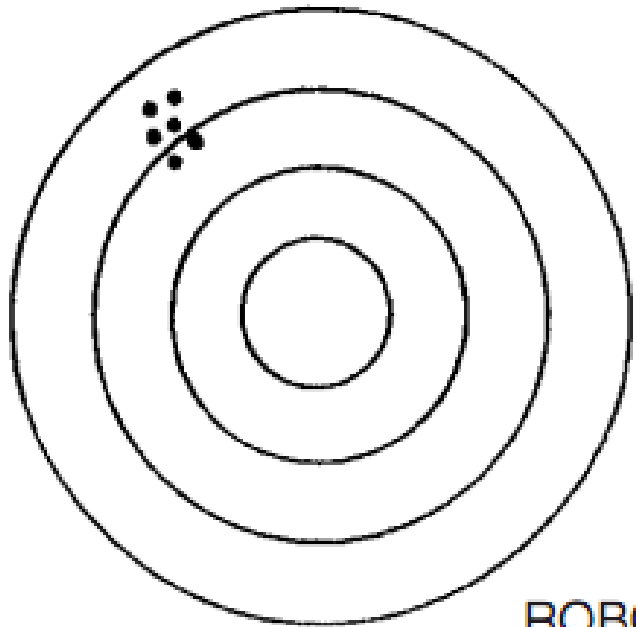
jika pengukuran sebenarnya 100 v, maka ketika pengukuran diulang – ulang ( mis 20 kali) maka pembacaan akan berkisar 99,8 – 100,2 V



(a) Low precision,  
low accuracy

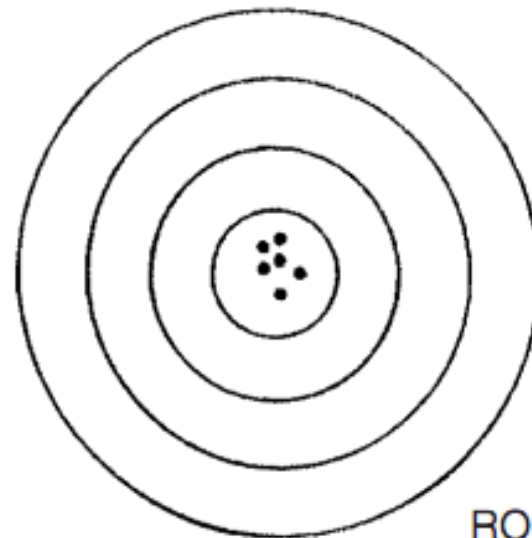
ROBOT 1





(b) High precision,  
low accuracy

ROBOT 2



(c) High precision,  
high accuracy

ROBOT 3



# Karakteristik Dinamis

Perilaku antara waktu kuantitas yang diukur berubah nilai dan waktu ketika instrumen output mencapai nilai yang stabil sebagai respons.

Time-invariant system pengukuran:

$$\begin{aligned} a_n \frac{d^n q_0}{dt^n} + a_{n-1} \frac{d^{n-1} q_0}{dt^{n-1}} + \cdots + a_1 \frac{dq_0}{dt} + a_0 q_0 \\ = b_m \frac{d^m q_i}{dt^m} + b_{m-1} \frac{d^{m-1} q_i}{dt^{m-1}} + \cdots + b_1 \frac{dq_i}{dt} + b_0 q_i \end{aligned} \quad (2.1)$$

where  $q_i$  is the measured quantity,  $q_0$  is the output reading and  $a_0 \dots a_n, b_0 \dots b_m$  are constants.

$$a_n \frac{d^n q_0}{dt^n} + a_{n-1} \frac{d^{n-1} q_0}{dt^{n-1}} + \cdots + a_1 \frac{dq_0}{dt} + a_0 q_0 = b_0 q_i \quad (2.2)$$

If all the coefficients  $a_1 \dots a_n$  other than  $a_0$  in equation (2.2) are assumed zero, then:

$$a_0 q_0 = b_0 q_i \quad \text{or} \quad q_0 = b_0 q_i / a_0 = K q_i \quad (2.3)$$

where  $K$  is a constant known as the instrument sensitivity as defined earlier.

Any instrument that behaves according to equation (2.3) is said to be of zero order

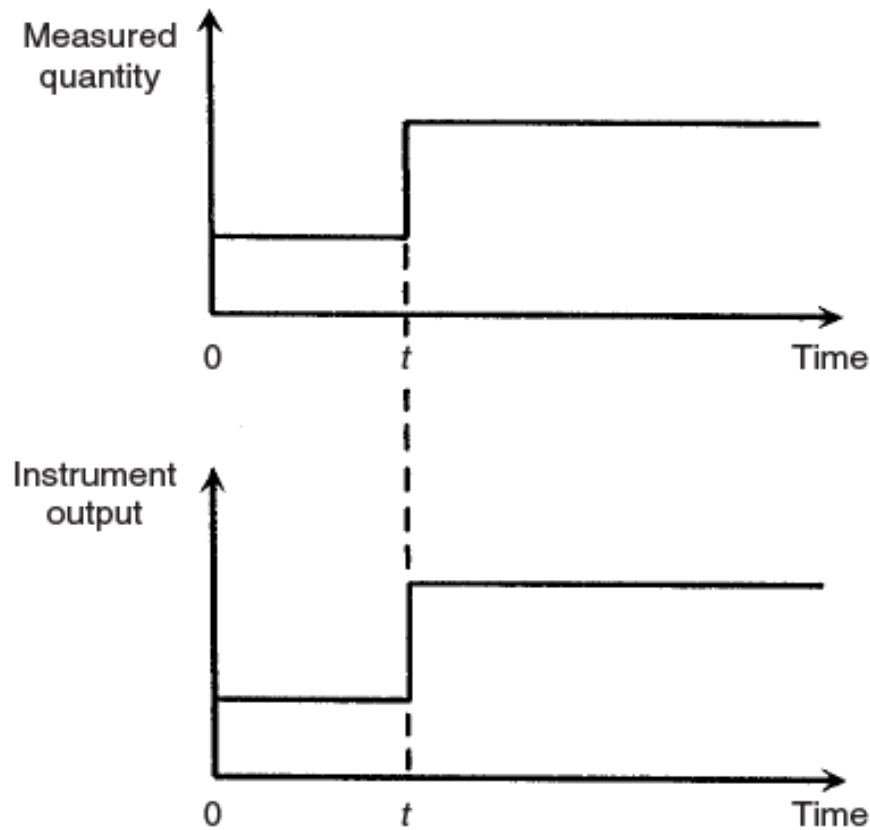
If all the coefficients  $a_2 \dots a_n$  except for  $a_0$  and  $a_1$  are assumed zero in equation (2.2) then:

$$a_1 \frac{dq_0}{dt} + a_0 q_0 = b_0 q_i \quad (2.4)$$



Any instrument that behaves according to equation (2.4) is known as a first order instrument. If  $d/dt$  is replaced by the  $D$  operator in equation (2.4), we get:

$$a_1 Dq_0 + a_0 q_0 = b_0 q_i \quad \text{and rearranging this then gives} \quad q_0 = \frac{(b_0/a_0)q_i}{[1 + (a_1/a_0)D]} \quad (2.5)$$



**Fig. 2.10** Zero order instrument characteristic.

Defining  $K = b_0/a_0$  as the static sensitivity and  $\tau = a_1/a_0$  as the time constant of the system, equation (2.5) becomes:

$$q_0 = \frac{Kq_i}{1 + \tau D} \quad (2.6)$$

If equation (2.6) is solved analytically, the output quantity  $q_0$  in response to a step change in  $q_i$  at time  $t$  varies with time in the manner shown in Figure 2.11. The time constant  $\tau$  of the step response is the time taken for the output quantity  $q_0$  to reach 63% of its final value.

### *Example 2.3*

A balloon is equipped with temperature and altitude measuring instruments and has radio equipment that can transmit the output readings of these instruments back to ground. The balloon is initially anchored to the ground with the instrument output readings in steady state. The altitude-measuring instrument is approximately zero order and the temperature transducer first order with a time constant of 15 seconds. The

temperature on the ground,  $T_0$ , is  $10^{\circ}\text{C}$  and the temperature  $T_x$  at an altitude of  $x$  metres is given by the relation:  $T_x = T_0 - 0.01x$

- (a) If the balloon is released at time zero, and thereafter rises upwards at a velocity of 5 metres/second, draw a table showing the temperature and altitude measurements reported at intervals of 10 seconds over the first 50 seconds of travel. Show also in the table the error in each temperature reading.
- (b) What temperature does the balloon report at an altitude of 5000 metres?

